

이름 :

학생번호 :

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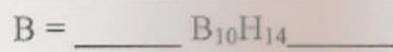
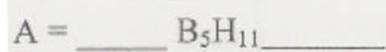
문제 1

총점(100점)의 7.5%

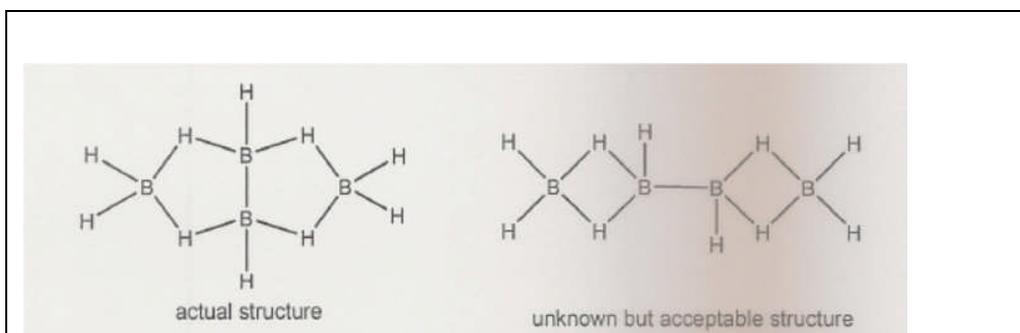
a-i	a-ii	a-iii	b	c	문제 1	
4	2	2	2	10	20	7.5%

a.

i.

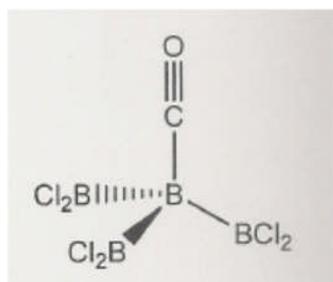


ii.



iii.

구조:



이름 :

학생번호 :

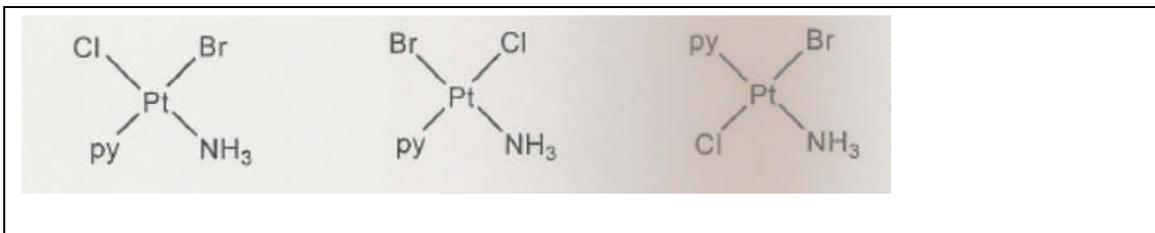
문제 2

총점(100 점)의 7.8%

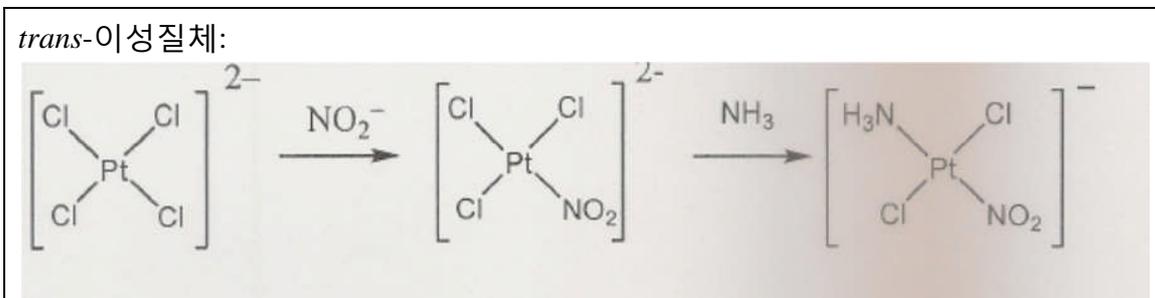
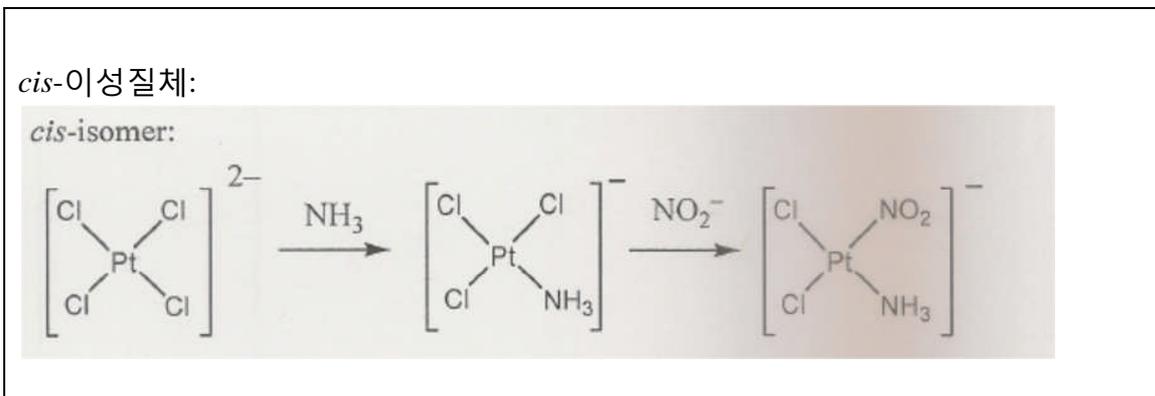
a-i	a-ii	b-i	b-ii	c	문제 2	7.8%
4	4	6	1	5	20	

a. 백금(II) 화합물, 이성질체, 트랜스 효과(*Trans Effect*).

i.



iii.

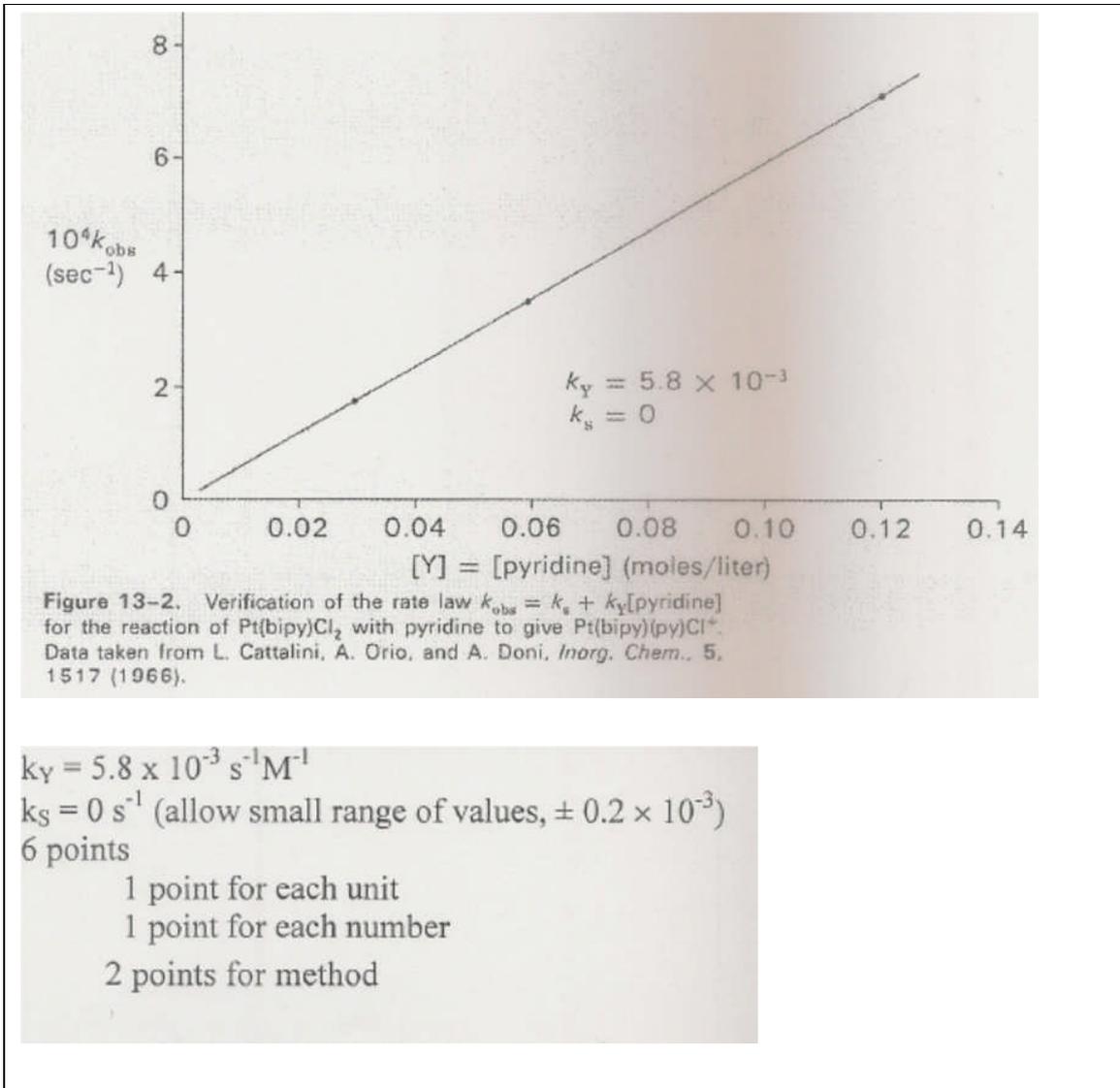


이름 :

학생번호 :

b.

i.



ii.

	대부분의 피리딘 생성물은 용매-도움(k_s) 치환반응 경로에 의하여 생성된다.
v	대부분의 피리딘 생성물은 직접 치환반응(k_Y) 경로에 의하여 생성된다.
	동등한 양의 생성물이 두 반응경로에 의하여 생성된다.
	두 반응경로에 의해 생성되는 생성물의 상대적인 양은 결정할 수 없다.

이름 :

학생번호 :

c. 화학요법제

백금 질량

- a) Amount of Pt used = $(1.0 \times 10^{-6} \text{ mol}/1000 \text{ mL})(1.0 \text{ mL}) = 1.0 \times 10^{-9} \text{ mol Pt}$
This is equivalent to $2.0 \times 10^{-7} \text{ g Pt}$

금 질량

- b) $(90 \text{ groups/nanoparticle})(0.98 \text{ Pt bound complexes})$
 $= 88 \text{ Pt complexes/nanoparticle or } 88 \text{ Pt atoms per nanoparticle}$
- c) $1.0 \times 10^{-9} \text{ mol Pt}$ is equivalent to $6.0 \times 10^{14} \text{ Pt atoms}$
- d) $(6.0 \times 10^{14} \text{ Pt atoms})(1 \text{ nanoparticle}/88 \text{ Pt atoms}) = 6.8 \times 10^{12} \text{ nanoparticles}$
- e) Size of gold nanoparticles:
Radius = $6.5 \times 10^{-7} \text{ cm}$ and volume of gold nanoparticle = $1.2 \times 10^{-18} \text{ cm}^3$
Mass of gold nanoparticle = $2.3 \times 10^{-17} \text{ g}$
Amount of gold in a nanoparticle = $1.2 \times 10^{-19} \text{ mol}$
Atoms of gold in a nanoparticle = $7.1 \times 10^4 \text{ atoms}$
- f) Mass of gold:
Total number of gold atoms = $(6.8 \times 10^{12} \text{ particles})(7.1 \times 10^4 \text{ atoms/particle})$
 $= 4.8 \times 10^{17} \text{ atoms of gold}$
Equivalent to $1.5 \times 10^{-4} \text{ g gold}$

이름 :

학생번호 :

문제 3

총점(100 점)의 7.5%

a	b	c-i	c-ii	문제 3	
4	12	6	12	34	7.5%

a.

Multiplying the mass action laws for the four given reactions produces:

$$\frac{\text{MoO}_4^{2-}(\text{H}_2\text{S})^4}{\text{MoS}_4^{2-}} = \frac{1 \times 10^{-7}(1 \times 10^{-6})^4}{\text{MoS}_4^{2-}} = 1.4 \times 10^{-20}$$

$[\text{MoS}_4^{2-}] = 7 \times 10^{-12}$ Units: M

3 pts for correct MoS_4^{2-} answer; 1 pt correct units

이름 :

학생번호 :

b.

MoS_4^{2-} concentration is determined by absorbance at 468 nm:
 $0.365 = (11870)(10.0)(\text{MoS}_4^{2-})$. $(\text{MoS}_4^{2-}) = 3.08 \times 10^{-6} \text{ M}$ 4 pt

From conservation of Mo,
 $(\text{MoOS}_3^{2-}) + (\text{MoO}_2\text{S}_2^{2-}) = \text{Mo}_{\text{Total}} - (\text{MoS}_4^{2-}) = 6.0 \times 10^{-6} - 3.08 \times 10^{-6} = 2.9 \times 10^{-6}$

By rearrangement,
 $(\text{MoO}_2\text{S}_2^{2-}) = 2.9 \times 10^{-6} - (\text{MoOS}_3^{2-})$

From optical absorbance at 395 nm,
 $0.213 = (120)(10.0)(3.08 \times 10^{-6}) + (9030)(10.0)(\text{MoOS}_3^{2-}) + (3230)(10.0)(\text{MoO}_2\text{S}_2^{2-})$
 $0.213 = (120)(10.0)(3.08 \times 10^{-6}) + (9030)(10.0)(\text{MoOS}_3^{2-}) + (3230)(10.0)(2.9 \times 10^{-6} - (\text{MoOS}_3^{2-}))$
 $(\text{MoOS}_3^{2-}) = 2.0 \times 10^{-6} \text{ M}$ 4 pt

$(\text{MoO}_2\text{S}_2^{2-}) = 2.9 \times 10^{-6} - (\text{MoOS}_3^{2-}) = 0.9 \times 10^{-6} \text{ M}$

$(\text{MoO}_2\text{S}_2^{2-}) = 0.9 \times 10^{-6} \text{ M}$ 4 pt

$\text{MoO}_2\text{S}_2^{2-}$ 0.9×10^{-6}
 MoOS_3^{2-} 2.0×10^{-6}
 MoS_4^{2-} 3.08×10^{-6}

c.

i.

Mass balance for Mo:
 $2.0 \times 10^{-7} = (\text{MoS}_4^{2-}) + (\text{MoOS}_3^{2-}) + (\text{MoO}_2\text{S}_2^{2-}) + (\text{MoO}_3\text{S}^{2-}) + (\text{MoO}_4^{2-})$ 2 pt

Mass balance for S:
 $8.0 \times 10^{-7} = 4(\text{MoS}_4^{2-}) + 3(\text{MoOS}_3^{2-}) + 2(\text{MoO}_2\text{S}_2^{2-}) + (\text{MoO}_3\text{S}^{2-}) + (\text{H}_2\text{S})$ 2 pt

Equilibrium constants:
 $1.3 \times 10^{-5} = (\text{MoOS}_3^{2-})(\text{H}_2\text{S})/(\text{MoS}_4^{2-})$
 $1.0 \times 10^{-5} = (\text{MoO}_2\text{S}_2^{2-})(\text{H}_2\text{S})/(\text{MoOS}_3^{2-})$
 $1.6 \times 10^{-5} = (\text{MoO}_3\text{S}^{2-})(\text{H}_2\text{S})/(\text{MoO}_2\text{S}_2^{2-})$
 $6.5 \times 10^{-6} = (\text{MoO}_4^{2-})(\text{H}_2\text{S})/(\text{MoO}_3\text{S}^{2-})$
0.5 pt each = 2

이름 :

학생번호 :

ii.

$$\begin{aligned} 2.0 \times 10^{-7} &= (\text{MoO}_3\text{S}^{2-}) + (\text{MoO}_4^{2-}) && \text{(Mo mass balance)} \\ 8.0 \times 10^{-7} &= (\text{MoO}_3\text{S}^{2-}) + (\text{H}_2\text{S}) && \text{(S mass balance)} \end{aligned}$$

Subtracting the first from the second and rearranging gives:

$$(\text{MoO}_4^{2-}) = (\text{H}_2\text{S}) - 6.0 \times 10^{-7}$$

Likewise, the S mass balance can be rearranged,

$$(\text{MoO}_3\text{S}^{2-}) = 8.0 \times 10^{-7} - (\text{H}_2\text{S})$$

Employing the equilibrium constant for the reaction involving MoO_4^{2-} and $\text{MoO}_3\text{S}^{2-}$:

$$6.5 \times 10^{-6} = \frac{(\text{MoO}_4^{2-})(\text{H}_2\text{S})}{(\text{MoO}_3\text{S}^{2-})} = \frac{[(\text{H}_2\text{S}) - (6.0 \times 10^{-7})](\text{H}_2\text{S})}{[(8.0 \times 10^{-7}) - (\text{H}_2\text{S})]}$$

Rearrangement and solution by the quadratic formula gives (H_2S) . Back substitution gives the remaining concentrations.

$$\text{H}_2\text{S} \text{ } \underline{7.8 \times 10^{-7} \text{ M}} \text{ } \text{MoO}_4^{2-} \text{ } \underline{1.8 \times 10^{-7} \text{ M}} \text{ } \text{MoO}_3\text{S}^{2-} \text{ } \underline{2.1 \times 10^{-8} \text{ M}}$$

$$\text{MoO}_2\text{S}_2^{2-} \text{ } \underline{1.0 \times 10^{-9} \text{ M}} \text{ } \text{MoOS}_3^{2-} \text{ } \underline{8.1 \times 10^{-11} \text{ M}} \text{ } \text{MoS}_4^{2-} \text{ } \underline{4.9 \times 10^{-12} \text{ M}}$$

이름 :

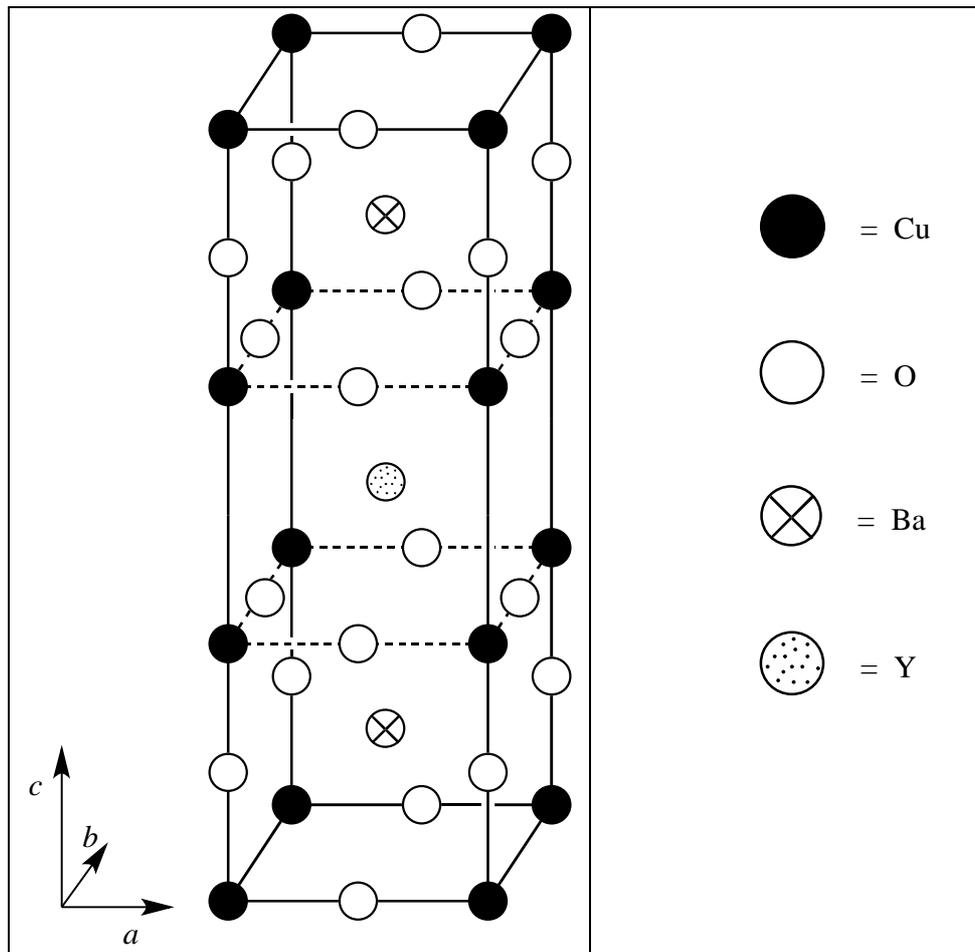
학생번호 :

문제 4

총점(100 점)의 7.8%

a	b	c	d-i	d-ii	d-iii	d-iv	e-i	e-ii	문제 4	7.8%
12	14	10	4	2	2	4	4	8	60	

a.



이름 :

학생번호 :

b.

$\sin \theta = n\lambda/2d$
 $d = (1)(154.2 \text{ pm})/2\sin(3.725^\circ)$
 $d = 1187 \text{ pm}$
Lowest-angle $\Rightarrow d = \text{longest axis} = c$
 $c = 1187 \text{ pm}$
 $a = c/3 = 396 \text{ pm}$

+8 for calculating d ; 6/8 if student uses θ in radians and reports a positive value (0/8 if negative distance); 6/8 if uses 2θ instead of θ .
+6 for correctly assigning a and c

14 pts total

$a = 396 \text{ pm}$
 $c = 1187 \text{ pm}$

c.

$V_{\text{unit cell}} = a \times b \times c = 3a^3 = 3(396 \text{ pm})^3 = 1.863 \times 10^{-22} \text{ cm}^3$
 $m_{\text{unit cell}} = (1/N_A)(88.91 + 2 \times 137.33 + 3 \times 63.55 + 6.75 \times 16.00)$
 $m_{\text{unit cell}} = (662.22 \text{ g/mol})/(6.0221 \times 10^{23} \text{ mol}^{-1}) = 1.100 \times 10^{-21} \text{ g}$
Density = $(1.100 \times 10^{-21} \text{ g})/(1.863 \times 10^{-22} \text{ cm}^3) = 5.90 \text{ g cm}^{-3}$

+4 pts. for V
+4 pts. for $m_{\text{unit cell}}$
+2 pts. for ρ
Full credit for using $a = 500 \text{ pm}$ [$\rho = 11.9 \text{ g cm}^{-3}$], $a = 396 \text{ pm}$, or whatever values were given for a and c in part (b).

Density = 5.90 g cm^{-3}

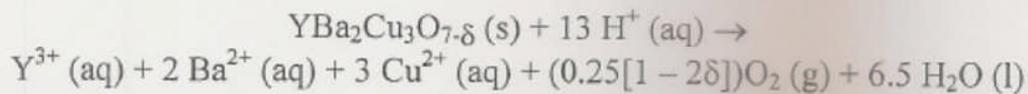
밀 도 = 5.90 g cm^{-3}

이름 :

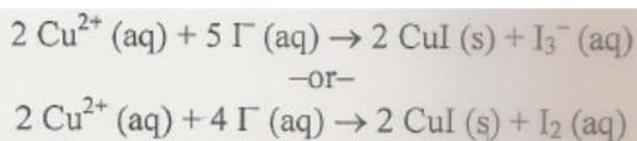
학생번호 :

d.

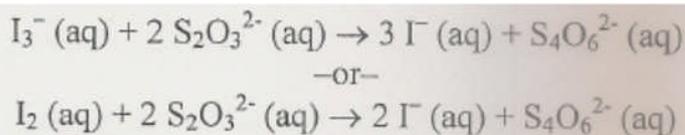
i.



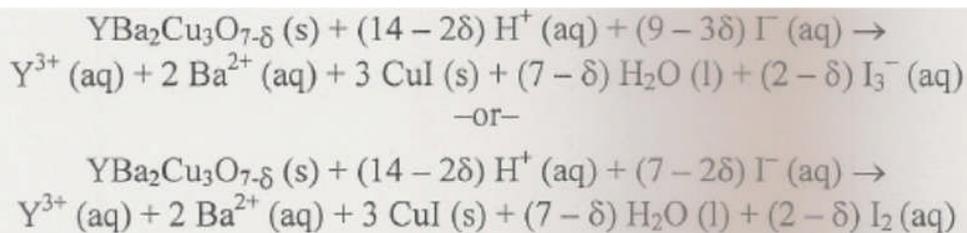
ii.



iii.



iv.



이름 :

학생번호 :

e. .

i.

$$n_{\text{Cu}} = n_{\text{thiosulfate}} \text{ in the first titration}$$
$$n_{\text{Cu}} = 1.542 \times 10^{-4} \text{ mol}$$

ii.

$$\text{Total Cu} = 1.542 \times 10^{-4} \text{ mol}$$
$$\text{Cu(III)} = (1.696 \times 10^{-4} \text{ mol}) - (1.542 \times 10^{-4} \text{ mol}) = 1.54 \times 10^{-5} \text{ mol}$$

So 90% of Cu is Cu(II), 10% is Cu(III)

$$\text{For charge balance, } 2(7 - \delta) = 3 + 2 \times 2 + 3 \times (0.90 \times 2 + 0.10 \times 3) = 13.30$$
$$\delta = 0.35$$

Alternatively, using the balanced equations in (d):
In the 1st titration, each mol YBCO = 1.5 mol I_3^- = 3 mol $\text{S}_2\text{O}_3^{2-}$
In the 2d titration, each mol YBCO = $(2-\delta)$ mol I_3^- = $(4-2\delta)$ mol $\text{S}_2\text{O}_3^{2-}$

$$\text{So } (1.542 \times 10^{-4} \text{ mol}) / (1.696 \times 10^{-4} \text{ mol}) = 3 / (4 - 2\delta) = 1.5 / (2 - \delta)$$
$$2 - \delta = 1.650$$
$$\delta = 0.35$$

$$\delta = 0.35$$

이름 :

학생번호 :

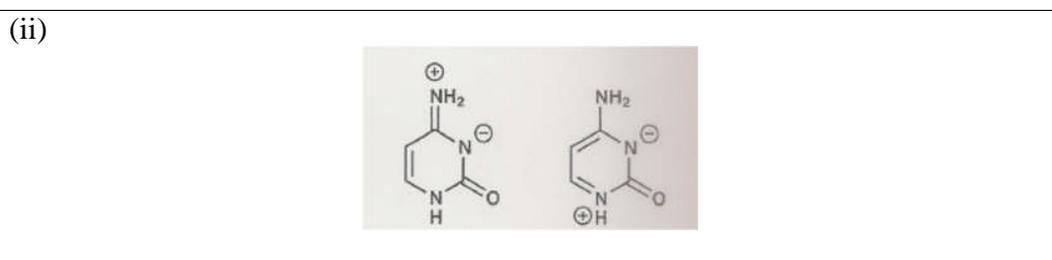
문제 5

전체(100 점)의 7.0 %

a-i	a-ii	b	c	d	e	f	문제 5	7.0%
2	4	4	2	12	6	4	34	



ii.



b.



c.



이름 :

학생번호 :

d.

i.

반응성이 가장 큰 것 : II
반응성이 가장 작은 것: I

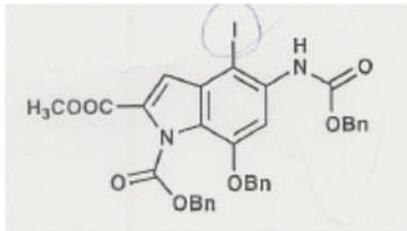
ii.

반응성이 가장 큰 것 : I
반응성이 가장 작은 것: III

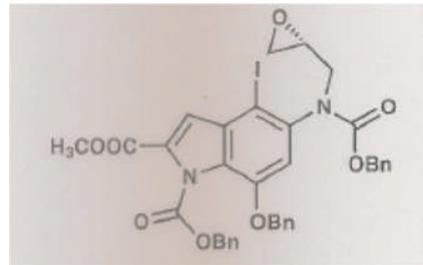
반응성이 가장 큰 것 : II
반응성이 가장 작은 것: I

e.

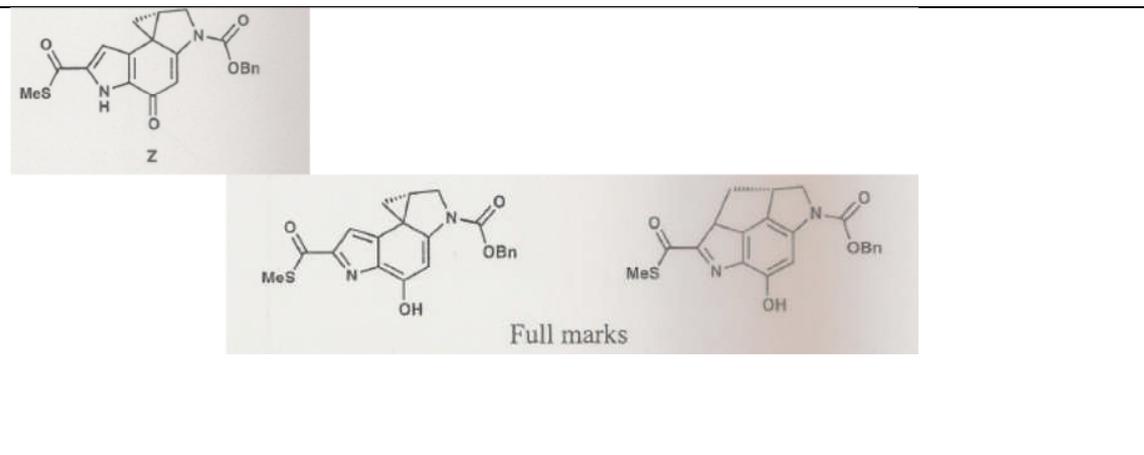
J



K



f.



이름 :

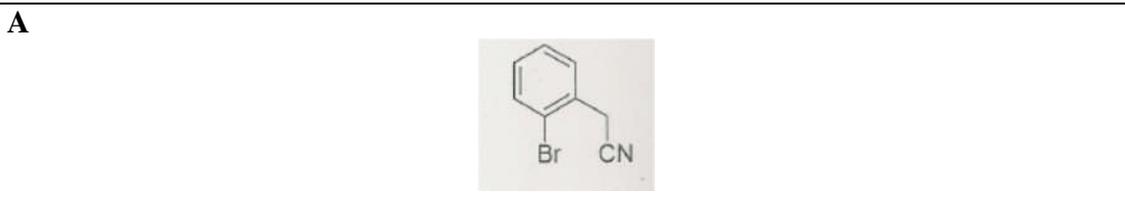
학생번호 :

문제 6

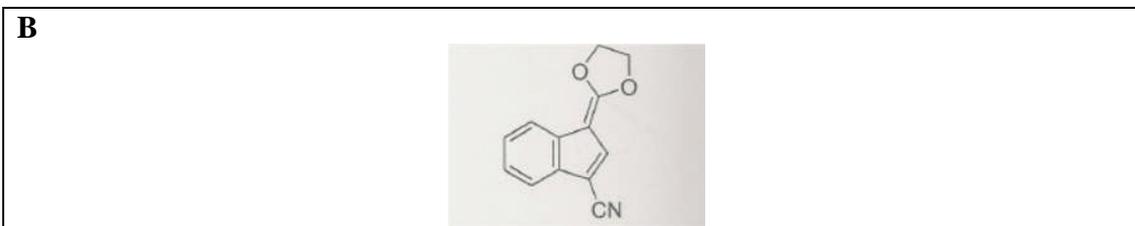
전체(100 점)의 6.6 %

a	b	c	d	문제 6	
2	4	6	8	20	6.6%

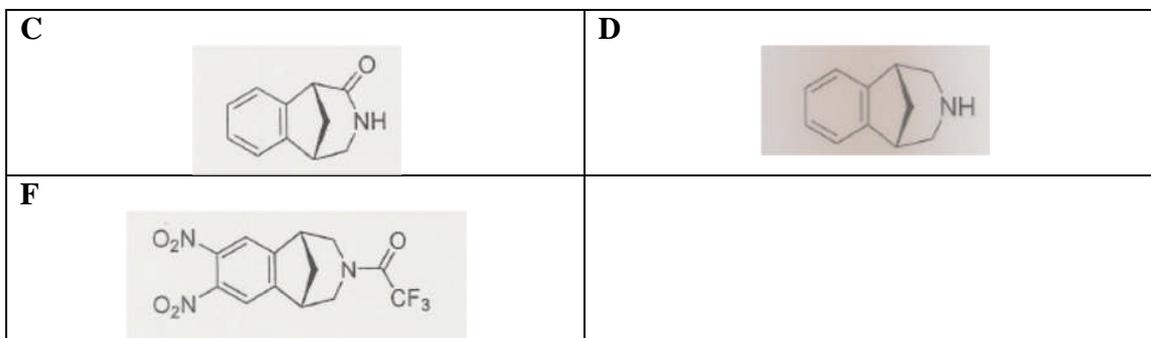
a.



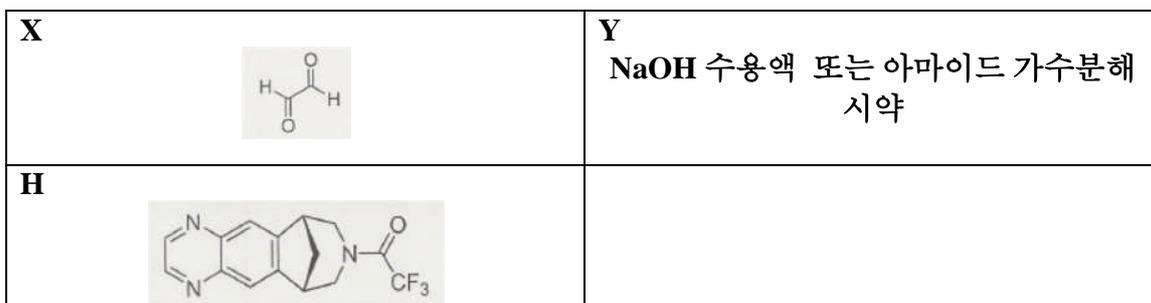
b.



c.



d.



이름 :

학생번호 :

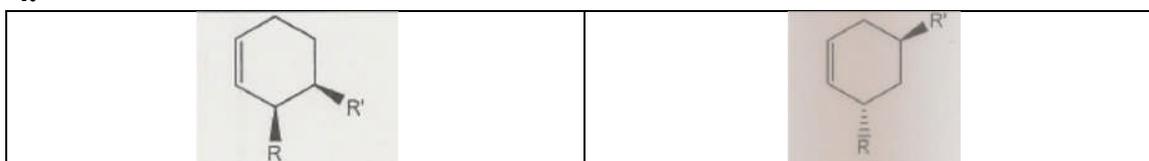
문제 7

전체(100 점)의 7.5 %

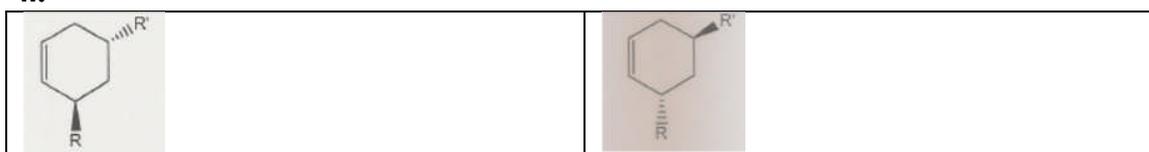
a	b	c	d	e	f	문제 7	
9	15	8	6	8	6	52	7.5%

a.

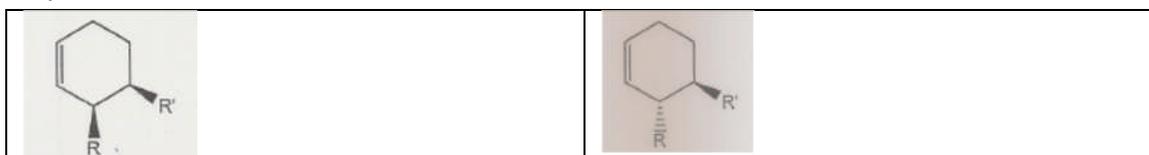
i.



ii.

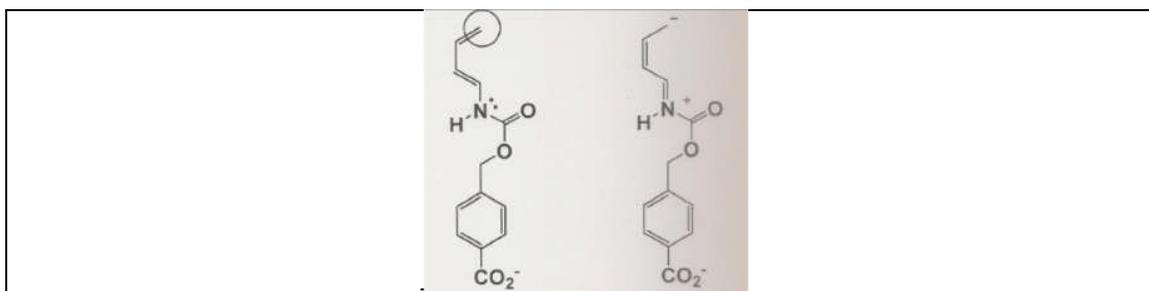


iii.



b.

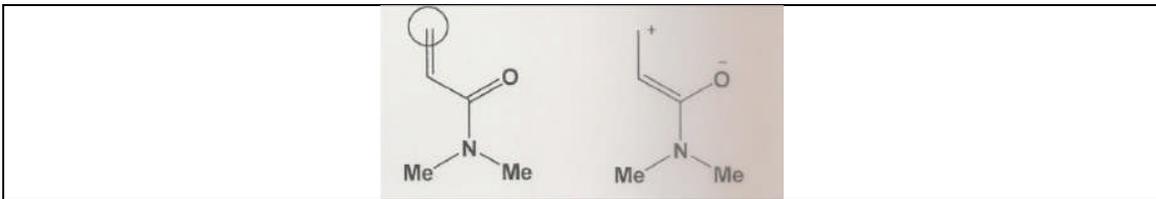
i.



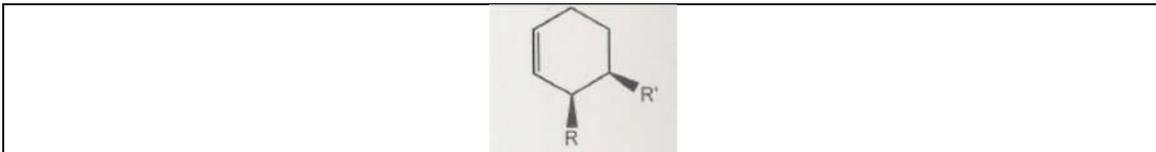
이름 :

학생번호 :

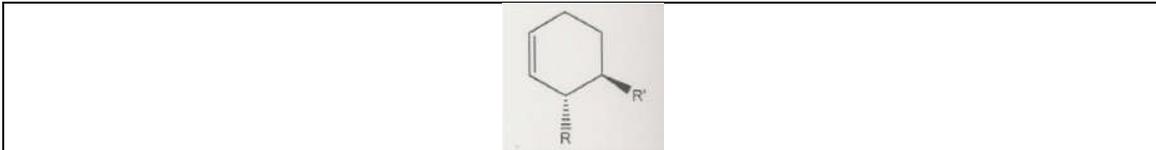
ii. .



iii.



c.



d.

i.

맞음(True)

틀림(False)

ii.

맞음(True)

틀림(False)

iii.

맞음(True)

틀림(False)

e.

Enzyme 번호: II

f.

친다이엔체(Dienophile) 번호: 5

이름 :

학생번호 :

문제 8

총점 (100 점)의 8.3%

a	b-i	b-ii	b-iii	b-iv	b-v	c-i	c-ii	c-iii	문제 8	8.3%
2	3	4	6	4	2	5	8	2	36	

anthracene 의 수평축 길이, $d_a = 3(240 \text{ pm}) = 720 \text{ pm}$
pentacene 의 수평축 길이, $d_p = 5(240 \text{ pm}) = 1200 \text{ pm}$

b.
i.

$$E = \left(\frac{n_y^2}{d^2} + \frac{n_x^2}{w^2 d^2} \right) \frac{h^2}{8m_e} = \left(n_y^2 + \frac{n_x^2}{w^2} \right) \frac{h^2}{8m_e d^2}$$

ii.

Anthracene:

— (; —)
— (6 ; 1) — (3 ; 2)
↑↓ (2 ; 2)
↑↓ (1 ; 2)
↑↓ (5 ; 1)
↑↓ (4 ; 1)
↑↓ (3 ; 1)
↑↓ (2 ; 1)
↑↓ (1 ; 1)

이름 :

학생번호 :

iii. 같은 모델을 이용하여 벤젠의 에너지 다이어그램을 만들고 적당한 에너지 레벨들을 전자로 채워라. 에너지 레벨을 최저 비점유 에너지 레벨까지 표시하고 각 에너지 레벨에 해당하는 양자수 ($n_x; n_y$)로 나타내라. 벤젠을 기술하는 모델이 바뀌면 에너지 레벨도 바뀌게 되므로, (이 문제에서 사용하는) 2차원 상자 속 입자 모델이 다른 모델과 같은 에너지 레벨을 가지게 될 것으로 가정하지 않도록 하라.

Benzene:

$$\begin{array}{c} _ (2; 2) \\ \updownarrow (2; 1) \updownarrow (1; 2) \\ \updownarrow (1; 1) \end{array}$$

iv.

벤젠 ΔE :

$$\Delta E \text{ for benzene: } \Delta E = E(2;2) - E(1;2) = 3 \frac{h^2}{8m_e d^2} = 3.14 \times 10^{-18} \text{ J}$$

Alternate solution:

$$\Delta E = E(3;2) - E(2;2) = 5 \frac{h^2}{8m_e d^2} = 5.23 \times 10^{-18} \text{ J}$$

anthracene ΔE :

$$\Delta E \text{ for anthracene: } \Delta E = E(6;1) - E(2;2) = \frac{5}{9} \frac{h^2}{8m_e d^2} = 5.81 \times 10^{-19} \text{ J}$$

Alternate solution:

$$\Delta E = E(3;2) - E(2;2) = \frac{5}{9} \left(\frac{h^2}{8m_e d^2} \right) = 5.81 \times 10^{-19} \text{ J}$$

pentacene ΔE :

$$\Delta E \text{ for pentacene: } \Delta E = E(3;2) - E(9;1) = \frac{3}{25} \frac{h^2}{8m_e d^2} = 1.26 \times 10^{-19} \text{ J}$$

벤젠 (**B**), anthracene (**A**), pentacene (**P**)을 반응성이 증가하는 순서로 순위를 매겨라. 각 분자에 해당하는 문자들(**B, A, P**)을 왼쪽부터 오른쪽으로 상자에 나열하라.

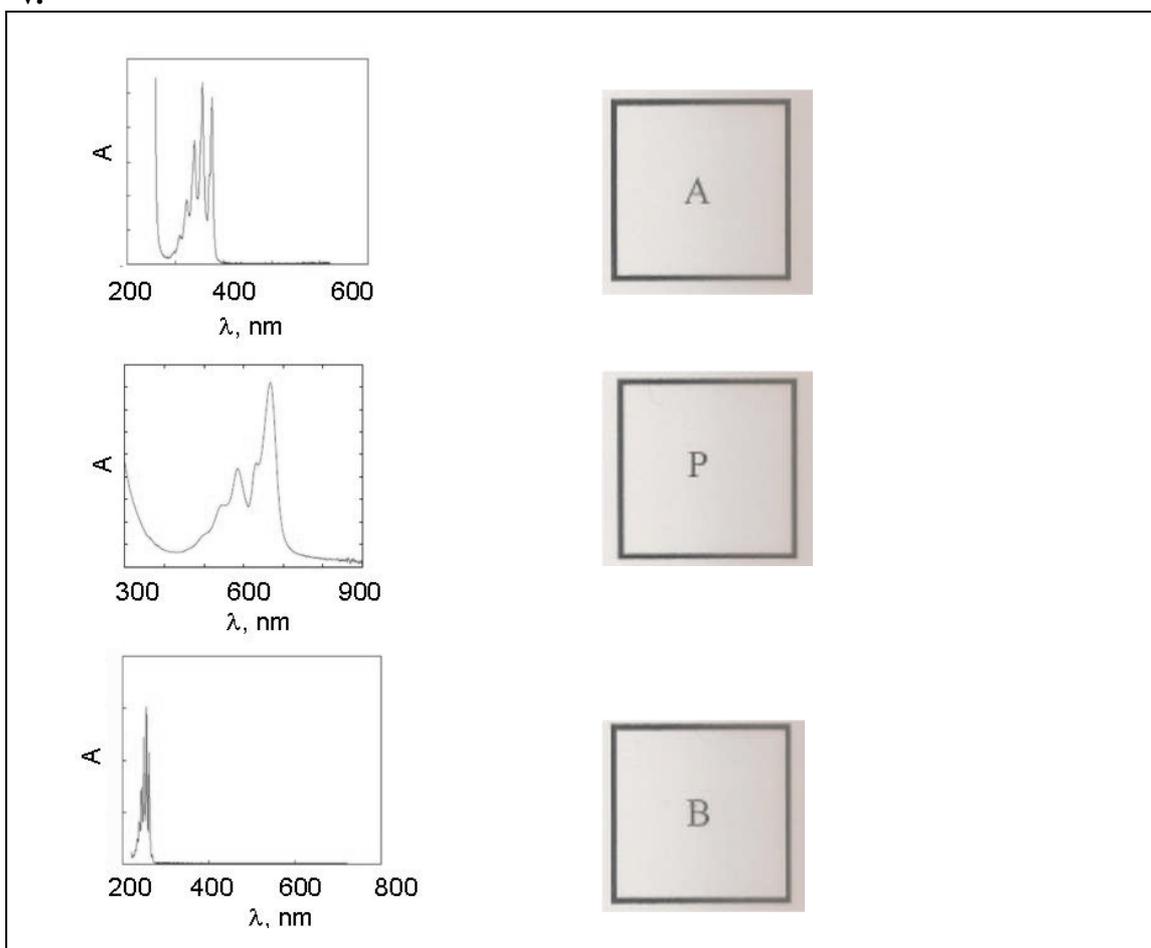
이름 :

학생번호 :

B A P

반응성이 가장 작다 -----> 반응성이 가장 높다

v.



c.

i.

The number of hexagonal units in the graphene sheet:

$$N_{units} = \frac{Area_{graphene}}{Area_{unit}} = \frac{(25000 pm)^2}{52400 pm^2} = 12000 units$$

2pts

Since each carbon atom in a graphene sheet is shared by three hexagonal units, each unit of the area $52400 pm^2$ contains $6/3=2$ carbon atoms contributing 2π -electrons total.

2pts

Therefore, 12000 units contribute 12000 pairs of π -electrons.

Answer: 24,000 electrons.

이름 :

학생번호 :

ii.

Two electrons fill each state, so the Fermi level has 12000 filled levels. This corresponds to the number of (n_x, n_y) pairs that are occupied.

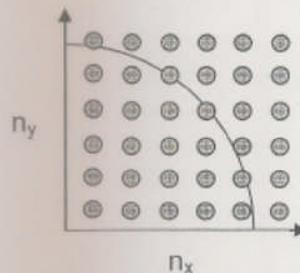
Since $L_x=L_y$ and the lowest energy level's energy is approximated as zero,

$$\Delta E = E_{\text{highest_occupied}} = \frac{(n_x^2 + n_y^2) h^2}{8m_e L^2}$$

1 pt

This is rearranged to the equation of a circle.

$$R^2 = (n_x^2 + n_y^2) = \frac{E 8m_e L^2}{h^2} = \text{constant}$$



2 pts

The area of the populated grid is $\text{Area}_{\text{grid}} = \frac{\pi R^2}{4}$.

The area of each quantum number pair is 1.

1 pt

Therefore, the number of points is given as

$$N_{\text{points}} = \frac{\text{Area}_{\text{grid}}}{\text{Area}_{\text{pair}}} = \frac{\pi R^2}{4} = N_{\text{states}} = 12000.$$

1 pt

Rearranging and solving for energy yields the Fermi energy.

$$N_{\text{states}} = \frac{\pi R^2}{4} = \frac{\pi 8m_e L^2 E}{4h^2} = 12000$$

$$E = \frac{4h^2(12000)}{\pi 8m_e L^2} = 1.48 \times 10^{-18} \text{ J}$$

Alternate solution

$$N_{\text{states}} = \frac{\pi R^2}{4} = \frac{\pi 8m_e L^2 E}{4h^2} = 1000$$

$$E = \frac{4h^2(1000)}{\pi 8m_e L^2} = 1.23 \times 10^{-19} \text{ J}$$

이름 :

학생번호 :

iii.

작다(less)

같다(equal)

크다(greater)